



## SYLLABUS

### UNIT - I: VECTOR DIFFERENTIATION

[12 Lectures]

Scalar and vector point functions – Del applied to scalar point functions – Directional derivative – Del applied to vector point functions – Physical interpretation of divergence and curl – Del applied twice to point functions – Del applied to products of point functions.

Sections: 8.4, 8.5, 8.6, 8.7, 8.8 and 8.9.

### UNIT - II: VECTOR INTEGRATION

[12 Lectures]

Integration of vectors – Line integral , circulation, work done – Surface integral , flux – Green's theorem in the plane – Stoke's theorem – Volume integral – Gauss divergence theorem (all theorems without proofs) – Irrotational and solenoidal fields.

Sections: 8.10, 8.11, 8.12, 8.13, 8.14, 8.15, 8.16 and 8.18.

### UNIT-III: PARTIAL DIFFERENTIAL EQUATIONS AND THEIR APPLICATIONS

[12 Lectures]

Introduction – Formation of partial differential equations by eliminating arbitrary constants and functions – Solutions of a partial differential equations by direct Integration – Linear equations of the first order (Lagrange's linear equations).

**Applications:** Method of separation of variables – Vibrations of a stretched string: Wave equation – One dimensional heat flow equation ( $\frac{\partial u}{\partial t} = c^2 \frac{\partial^2 u}{\partial x^2}$ ), and two dimensional heat flow equation (i.e. Laplace equation :  $\frac{\partial^2 u}{\partial x^2} + \frac{\partial^2 u}{\partial y^2} = 0$ ).

Sections: 17.1, 17.2, 17.4, 17.5, 18.2, 18.4, 18.5, 18.6 and 18.7.

## **UNIT – IV: FOURIER SERIES**

**[12 Lectures]**

Introduction – Euler’s formulae – Conditions for a Fourier expansion – Functions having points of discontinuity – Change of interval – Even and odd functions – Half range series – Parseval's formula.

Sections: 10.1, 10.2, 10.3, 10.4, 10.5, 10.6, 10.7 and 10.9.

## **UNIT – V: FOURIER TRANSFORMS**

**[12 Lectures]**

Introduction – Definition – Fourier integral theorem(without proof) - Fourier sine and cosine integrals – Fourier transforms – Properties of Fourier transforms – Convolution theorem – Parseval's identity for Fourier transforms – Relation between Fourier and Laplace transforms – Fourier transforms of the derivatives of a function – Applications of transforms to boundary value problems.

Sections: 22.1, 22.2, 22.3, 22.4, 22.5, 22.6, 22.7, 22.8, 22.9 and 22.11.

### **TEXT BOOK:**

**B. S. Grewal**, *Higher Engineering Mathematics*, 43<sup>rd</sup> edition, Khanna publishers, 2017.

### **REFERENCE BOOKS:**

- 1, **N P. Bali and Manish Goyal**, *A text book of Engineering mathematics*, Laxmi publications, Latest edition.
2. **Erwin Kreyszig**, *Advanced Engineering Mathematics*, 10<sup>th</sup> edition, John Wiley & Sons, 2011.
3. **R. K. Jain and S. R. K. Iyengar**, *Advanced Engineering Mathematics*, 3<sup>rd</sup> edition, Alpha Science International Ltd., 2002.
4. **George B. Thomas, Maurice D. Weir and Joel Hass, Thomas**, *Calculus*, 13<sup>th</sup> edition, Pearson Publishers.