



# SYLLABUS

## UNIT – I : FUNCTIONS OF A COMPLEX VARIABLE

(14 Periods)

Introduction – Limit of a complex function – Derivative of  $f(z)$  – Analytic functions – Harmonic functions – Applications to flow problems. Complex Integration – Cauchy's theorem – Cauchy's integral formula – Series of complex terms (Statements of Taylor's and Laurent's Series without proof) – Zeros of an analytic function – Residues – Calculation of residues – Evaluation of real definite integrals (Integration around the unit circle, Integration around the small semi circle, Indenting the contours having poles on the real axis).

Geometric representation of  $f(z)$ , Some standard transformations ( $w = z + c, w = cz, w = \frac{1}{z}, w = \frac{az+b}{cz+d}$ ).

## UNIT – II : FINITE DIFFERENCES & INTERPOLATION

(12 Periods)

Finite differences – Forward differences – Backward differences – Central differences – Differences of a polynomial – Factorial notation – Other difference operators – To find one or more missing terms – Newton's interpolation formulae – Central difference interpolation formulae – Interpolation with unequal intervals – Lagrange's interpolation formula – Inverse interpolation.

## UNIT – III: NUMERICAL DIFFERENTIATION AND INTEGRATION

(10 Periods)

Numerical differentiation – Formulae for derivatives – Maxima and minima of a tabulated function – Numerical integration – Newton-Cotes quadrature formula – Trapezoidal rule – Simpson's  $\frac{1}{3}$ <sup>rd</sup> –rule, Simpson's  $\frac{3}{8}$ <sup>th</sup> –rule.

## UNIT – IV : Z – TRANSFORMS

(12 Periods)

Introduction – Definition – Some standard Z-transforms – Linearity property – Damping rule – Some standard results – Shifting  $U_n$  to the right, Shifting  $U_n$  to the left – Two basic theorems (Initial value theorem and Final value theorem) – Convolution theorem – Convergence of Z-transforms – Two sided Z-transform of  $U_n$  – Evaluation of inverse Z-transforms (Power series method, Partial fraction method, Inverse integral method) – Applications to difference equations.

## UNIT – V : SAMPLING THEORY

(12 Periods)

Introduction – Sampling distribution – Testing a hypothesis – Level of significance – Confidence limits – Test of significance of large samples (Test of significance of single mean, difference of means) – Confidence limits for unknown – Small samples – Students t-distribution – Significance test of a sample mean – Significance test of difference between sample means – Chi-Square ( $\chi^2$ ) Test – Goodness of fit.

**TEXT BOOK:**

1. **Dr. B.S. Grewal**, “*Higher Engineering Mathematics*”, 43<sup>rd</sup> edition, Khanna Publishers, New Dehli.

**REFERENCE BOOKS:**

1. **Dr. N.P. Bali, Dr. Ashok Saxena, Dr. N.Ch. S. Narayana**, “*A Text book on Engineering Mathematics*”, Laxmi Publications (P)Ltd., New Delhi.
2. **H. K. Dass**, “*Advanced Engineering Mathematics*”, S. Chand and Company Ltd.
3. **Erwin Kreyszig**. “*Advanced Engineering Mathematics*”, John Wiley and Sons, New York.